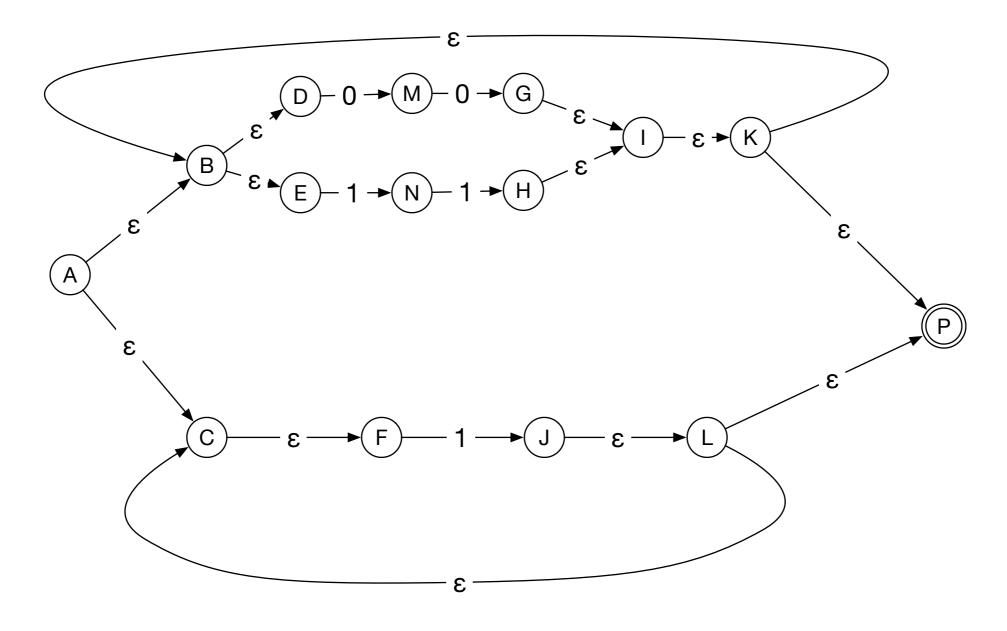
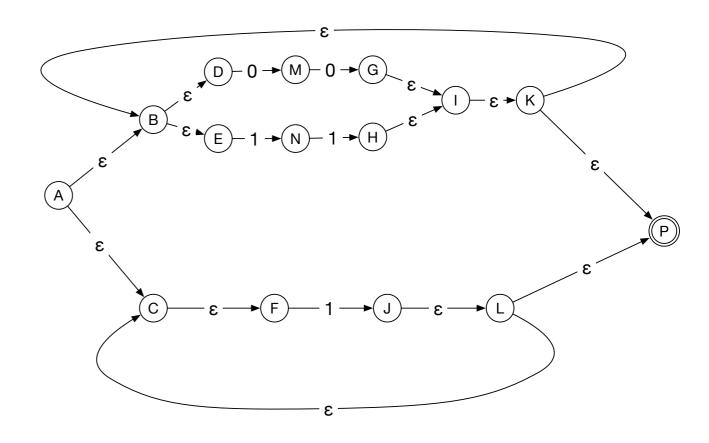
Thomas Schwarz

 Transform the following NFA with ε-moves to an NFA without ε-moves (start state is A)

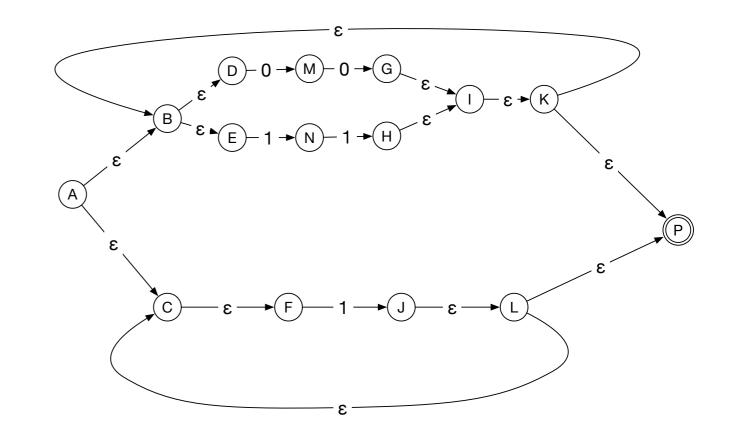


- ε-closure of A
 - Insert A
 - Insert all states reached from A with an ε-transition
 - Repeat with all states in the εclosure
- $\{A, B, C, D, E, F\}$



- ε-closure of B
 - $\{B, D, E\}$

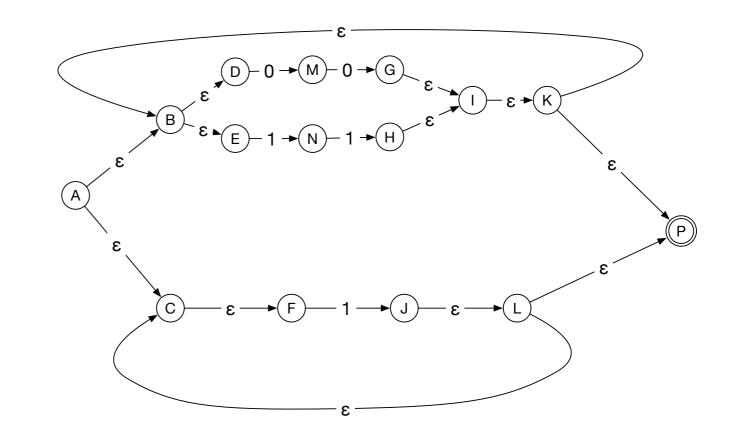
- ε-closure of C
 - {*C*,*F*}



- ε-closure of D
 - {*D*}

- ε-closure of E
 - {*E*}

- ε-closure of F
 - {*F*}



- ε-closure of G
 - $\{G, I, K, P, B, E, D\}$

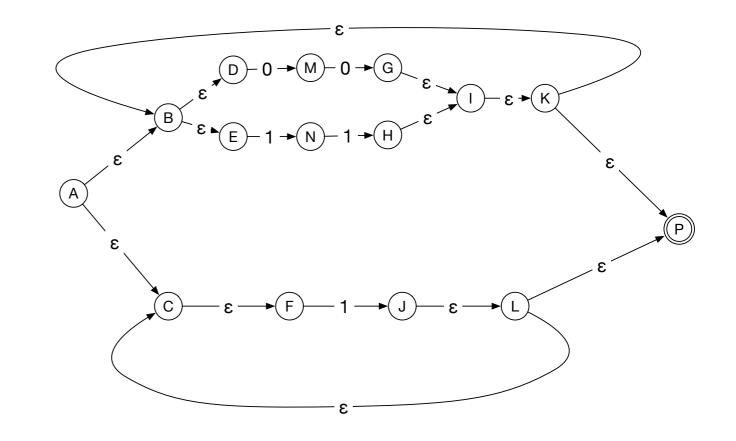
- ε-closure of H
 - $\{H, I, K, P, B, D, E\}$

- ε-closure of I
 - $\{I, K, P, B, D, E\}$

- ε-closure of J
 - $\{J, L, C, F, P\}$

- ε-closure of K
 - $\{K, P, B, D, E\}$

- ε-closure of L
 - $\{L, C, F, P\}$

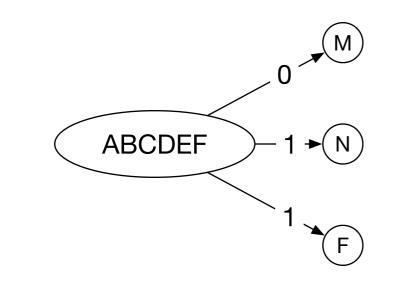


- ε-closure of P
 - {*P*}

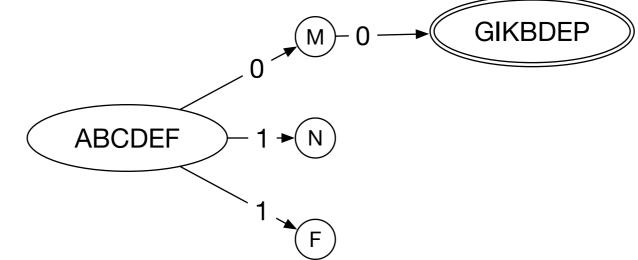
- Replace each state with its ε-closure
 - Start with A



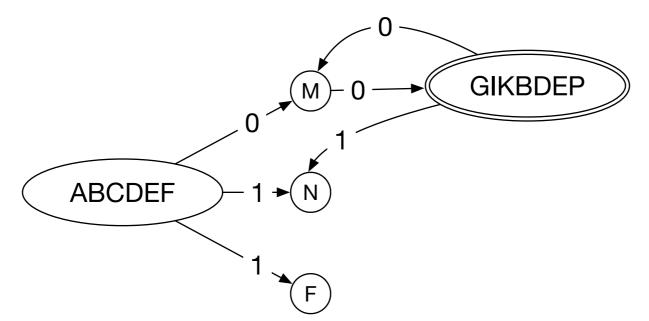
- Use any non- ϵ transition to another state, which gets replaced with its ϵ -closure
- We have D to M on 0, E to N on 1, C to F on 1



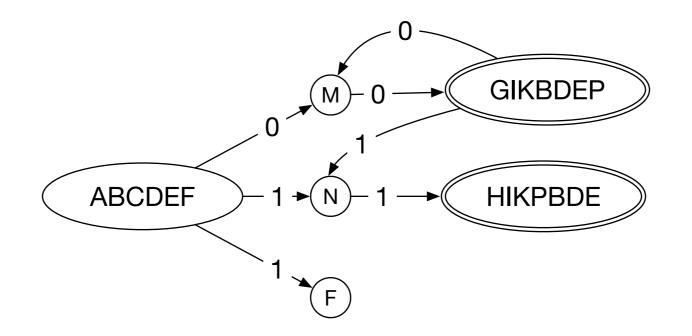
- We have a transition in M to G on 0.
 - Replace G with its closure (which is accepting since it contains P



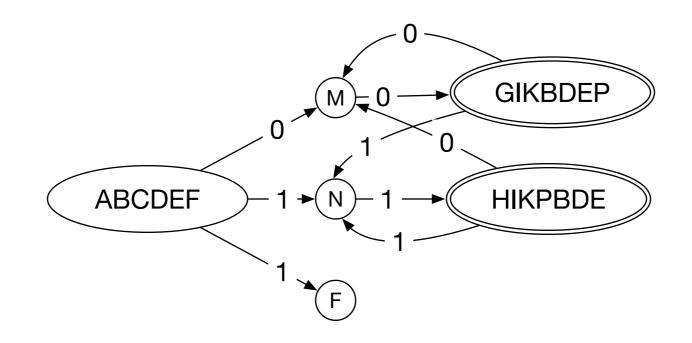
- GIKBDEP has:
 - transition from D to M on 0
 - So we add a transition to M
 - transition from E to N on 1
 - So we add one to N on 1



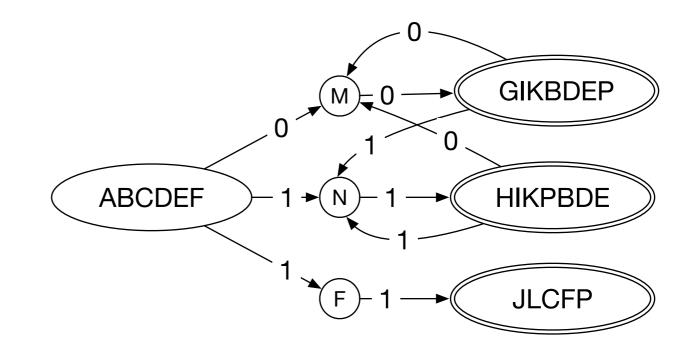
- N has a transition to H on 1
 - We add the transition to the closure of N
 - Notice that the ϵ -closure contains a final state, so it is also final



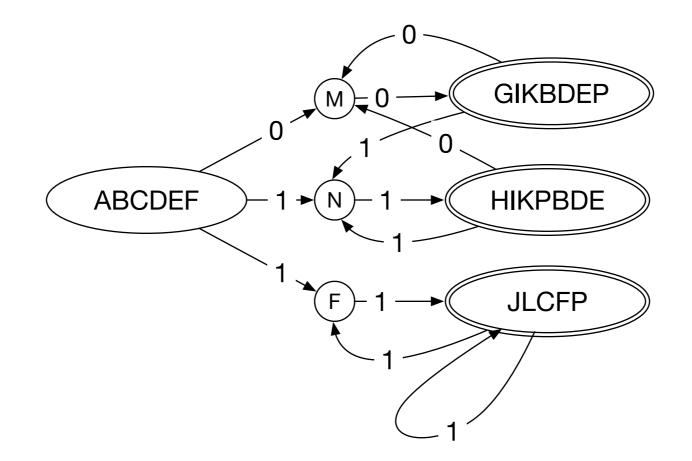
- There are two transitions out of HIKPBDE, namely from D to M on 0, and from E to N on 1.
- This gives two transitions from HIKPBDE to M on 0 and to N on 1



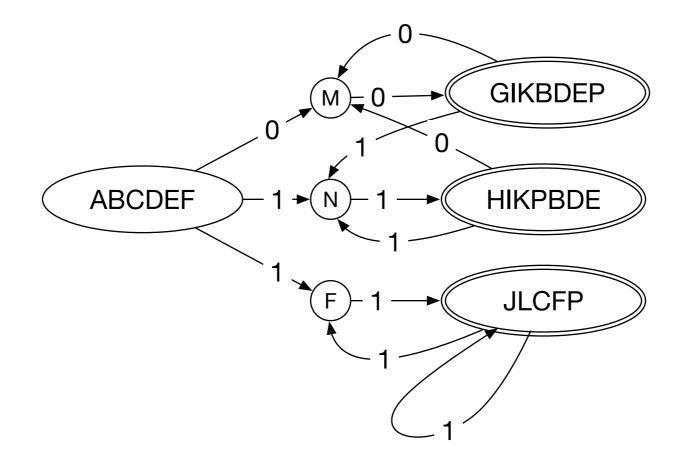
• There is a transition from F to JLCFP



• There is one transition on 1 out of F to J.



 And out of JLCFP, there is only one transition, namely on 1 from F to J. The *c*-closure of J is of course JLCFP, so we get a self-transition on 1



- An inspection shows:
 - No more reachable states without non- ϵ transitions
 - We are done

