

# For Loops

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# Preview : Lists

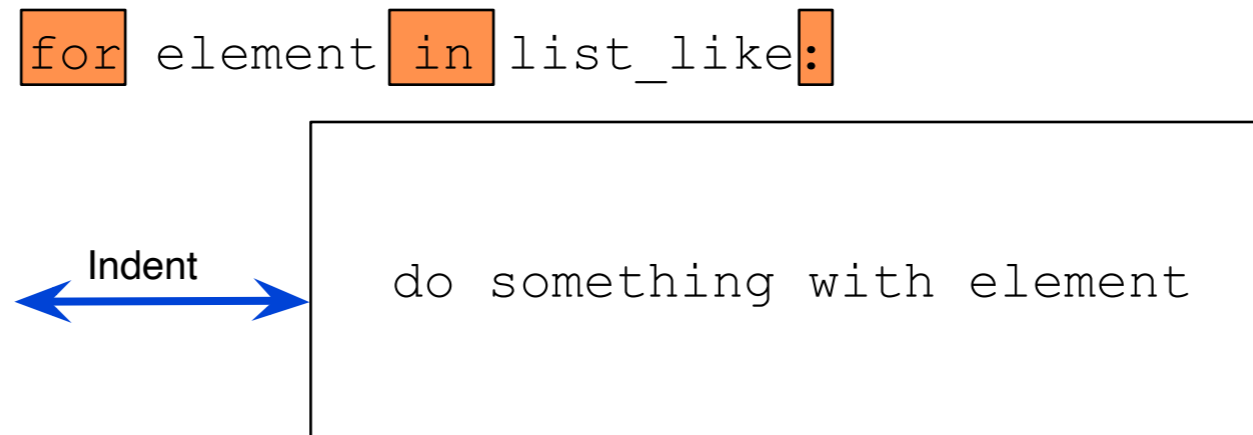
- A list is an ordered collection of elements
  - Uses brackets [ ]
  - An empty list [ ]
  - A list with one element [2]
  - A list with two elements [2, 3]

# Preview : Lists

- Python lists can have elements of different types
  - `my_list = [1, 1.0, 'one']`

# For statement

- A for statement does something for everything in a list-like structure



- Key word is for
- element is a variable that takes on repetitively all elements of the list
- List-like is anything that is like a list (e.g. a list)

# For statement

- Example:
  - A table to convert from rupees to euros

```
RUPEES_TO_EUROS = 0.01184638023
for rupees in [1, 2, 5, 10, 20, 50, 100, 200, 500, 1000, 2000]:
    euros = rupees*RUPEES_TO_EUROS
    print(rupees, '(IR) corresponds to', round(euros, 2), '€')
```

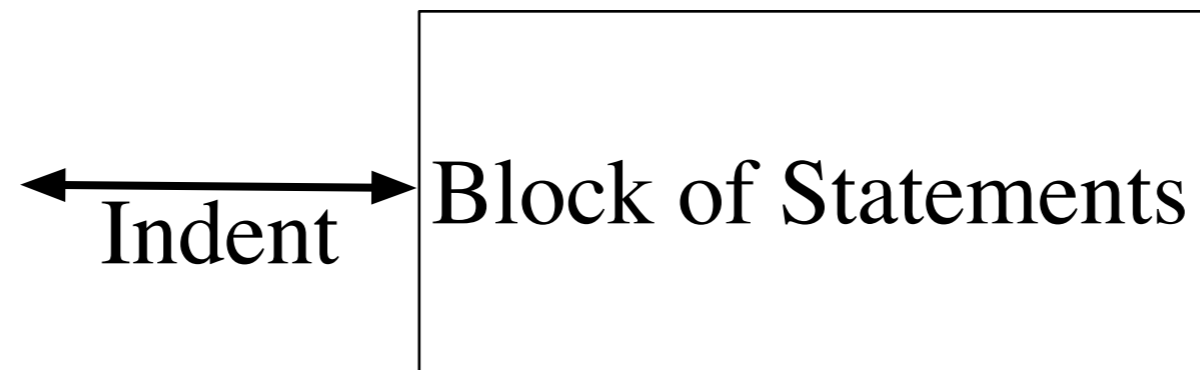
# For statement

- Many times we just want consecutive numbers
  - These are generated through range
    - Python 1,2: Range generates a list
    - Python 2: xrange generates next number on demand
    - Python 3: range gives a “range” object
  - Example for efficiency can be the enemy of ease of understanding
  - For the time being: a range is just a list of numbers

# For statement

- For statement with range:

```
for i in range (n) :
```



- Range is equivalent to a list [0, 1, ..., n-1]

# For statement

- Why do we start with 0?
  - In early CS, for loops were used over offsets into memory
    - Better start with 0 then to not have to distinguish between a memory region and the preceding memory location
    - And range(n) should have n elements, so we stop with n-1



# For statement

- Example:

- Calculate the sum  $\sum_{i=0}^{1000} \frac{1}{1+i^2}$

- Need an **accumulator** to keep the partial sums

- This accumulator needs to be initialized to 0

- We update this accumulator by adding  $\frac{1}{1+i^2}$  to it repeatedly

- Can use the += statement

# For statement

- $x += 7$ 
  - is a shortcut for
- $x = x + 7$
- Same goes for  $x /= 2$ ,  $x *= 2$ ,  $x -= 2$

# For statement

- Notice that the last value for  $i$  is 1000, therefore we need `range(1001)`
  - Refer to 1001 as the *stop value*

# For statement

- First draft of code:

```
accumulator = 0
for i in range(1001):
    accumulator += 1/(1+i**2)
print(accumulator)
```

- Disregards principles of numerical analysis
  - First addend is 1
  - Second addend is  $1/5$
  - ...
  - Last addend is  $1/1,000,001$

# For statement

- First draft of code

```
accumulator = 0
for i in range(1001):
    accumulator += 1/(1+i**2)
print(accumulator)
```

- We are adding small numbers to big numbers
  - Can expect loss of precision

# Ranges

- Ranges are quite flexible
  - If there is a single variable, then that variable is the *stop value*
  - If there are two variables, then the first is the *start value*
    - and the second the stop value
  - If there are three variables, then the first one is the start value
    - the second the stop value
    - and the third the *stride*

# Ranges

- Example:

```
for i in range(3):  
    print(i)
```

- prints

```
0  
1  
2
```

# Ranges

- Example:

```
for i in range(1, 4):  
    print(i)
```

- prints

```
1  
2  
3
```

- Start value is 1, stop value is 4, i.e. last value is 3



# Ranges

- Strides:

- What gets added to the loop variable

- Example

```
for i in range(2, 9, 3):  
    print(i)
```

- First value for `i` is the start value 2

- print out 2

- Then add 3 (the stride to the current value of `i`)

- print out 5

- Then add 3 again

- print out 8

- Then add 3 again

- This gives `i=11`, which is  $\geq 9$ , the stop value, so we stop the loop

# Ranges

- Example:

- ```
for i in range(2, 9, 3):  
    print(i)
```

- prints out

- ```
2  
5  
8
```

# Ranges

- Strides can be negative

- Example:

- ```
for i in range(10, 0, -1):  
    print(i)
```

- Stop **before** we reach 0, i.e. at 1

```
10  
9  
8  
7  
6  
5  
4  
3  
2  
1
```

# Ranges

- Resúmen:
  - range takes up to three parameters:
    - Start
    - Stop
    - Stride

# For statement

- Now we can calculate the sum in a safer way

```
accumulator = 0
for i in range(1000, -1, -1):
    accumulator += 1/(1+i**2)
print(accumulator)
```

- modifies result slightly using stride -1
- We start with  $i = 1000$
- We finish with  $i = 0$
- Therefore: stop value is -1