

# Default Arguments

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# Default Arguments

- You want to write a function that calculates the weight of concrete blocks
  - You have arguments for height, width, length
  - Then you realize that concrete blocks can be hollow
  - that the answer could be given in kg and in pounds
  - that dimensions could be in inches or cms
- Function template:
  - `def weight_block(height, width, length, cm, solid, measure):`

# Default Arguments

- You realize that your site almost exclusively
  - uses solid blocks
  - uses kgs for weights
  - and cms for length

# Default Arguments

- You can make this the default values
  - ```
def weight( height,  
            width,  
            length,  
            solid=True  
            cm=True,  
            kg=True  
            )
```
  - The function now has three mandatory parameters (height, width, length) and three optional parameters.

# Default Arguments

```
def weight(height, width, length, solid=True, cm=True, kg=True)
```

- **Example Calls:**

- `weight(5, 10, 100, solid=False)`

- Parameters are height: 5, width: 10, length: 100, solid: False, cm: True, kg: True

- `weight(width=5, length=10, height=100, solid=False)`

- Parameters are height: 100, width: 5, length 10, solid: False, cm: True, kg: True

- Notice that you cannot have positional arguments following named arguments

# Default Arguments

```
def weight(height, width, length, solid=True, cm=True, kg=True)
```

- **Example Calls:**

- `weight(5, 10, 100, cm=False, kg=False)`

- Parameters are height: 5, width: 10, length: 100, solid: True, cm: False, kg: False

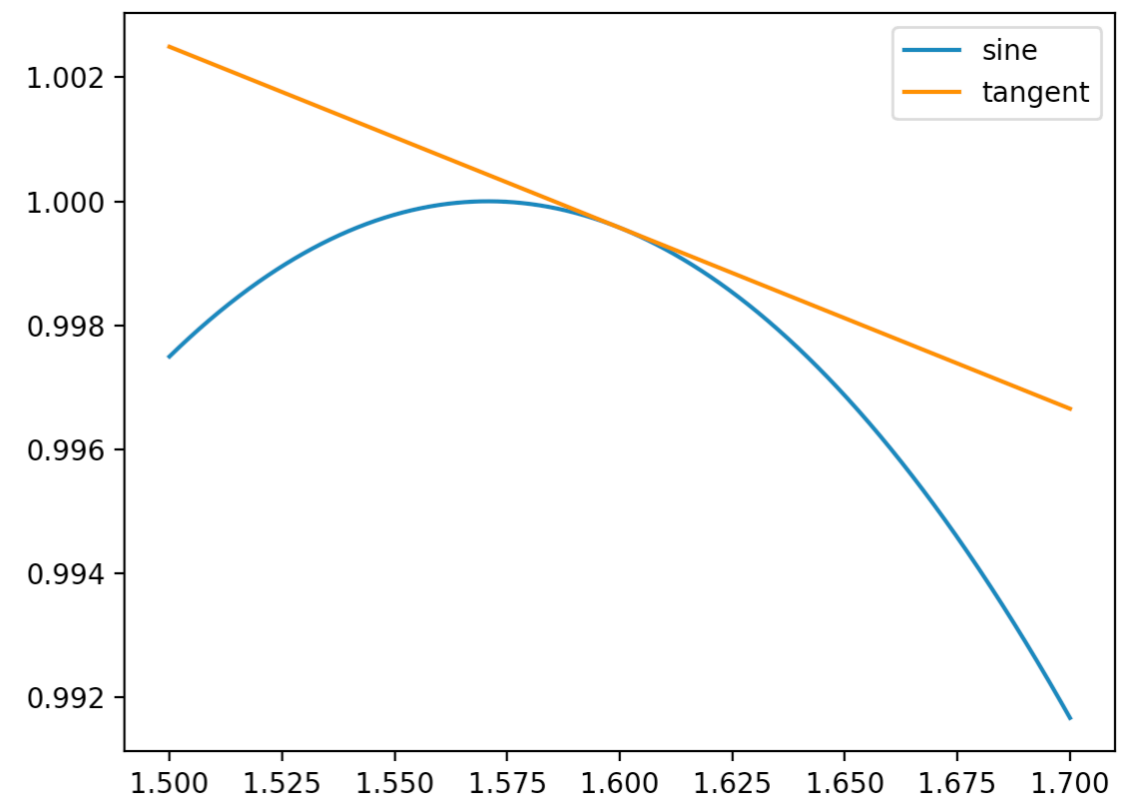
- `weight(width=5, length=10, height=100, kg=False)`

- Parameters are height: 100, width: 5, length 10, solid: True, cm: True, kg: False

-

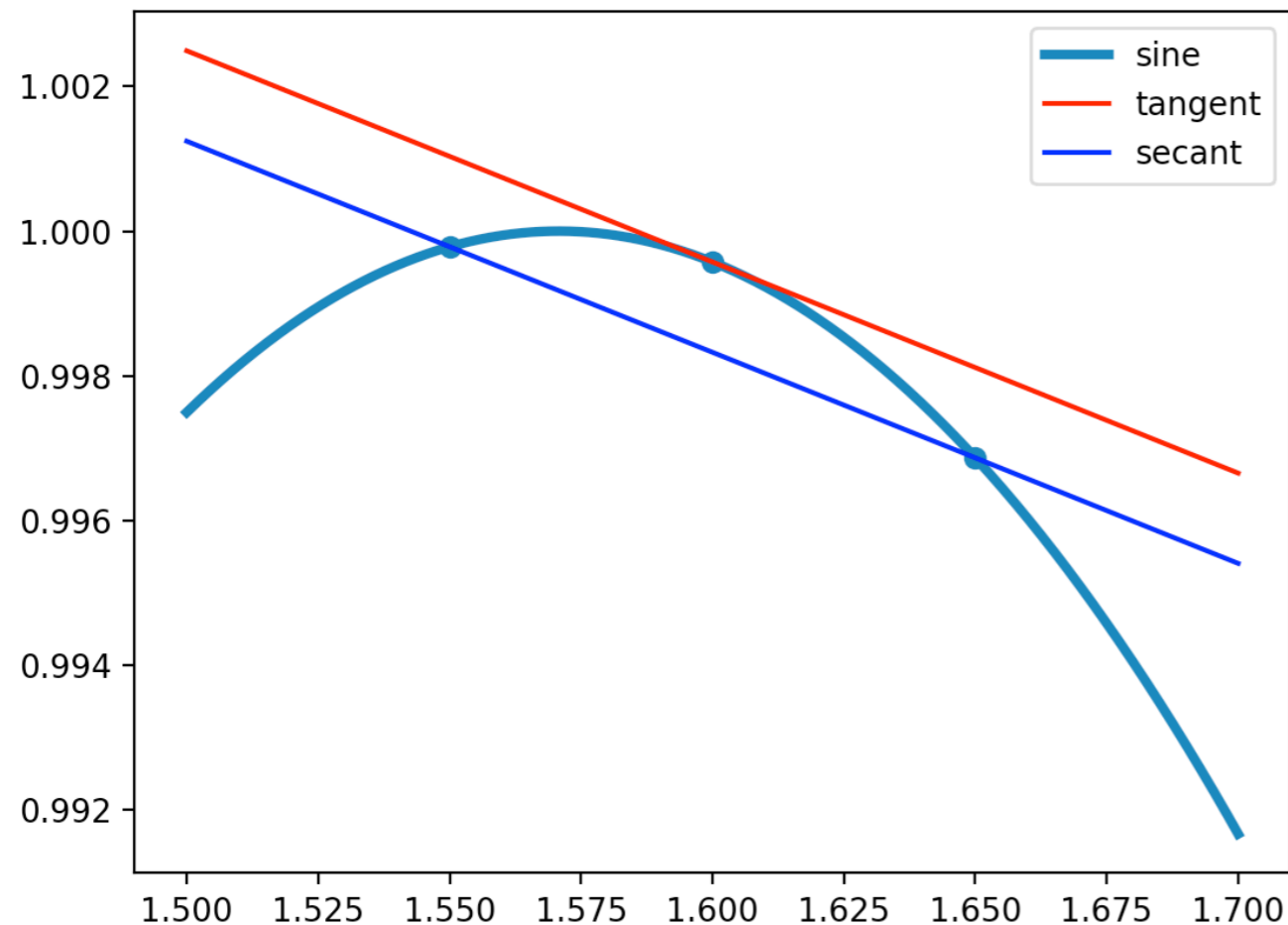
# Numerical Differentiation

- The derivative of a function is defined to be the slope tangent to the function at a given point
- Example:
- The slope of the tangent of the sine function at 1.6 is about -0.03.



# Numerical Differentiation

- For numerical calculation, we replace the tangent with a secant that cuts through two points on the graph of the function



The red line is the tangent, going through  $(1.6, \sin(1.6))$

The blue line is a secant, going through two points on the graph of sine.

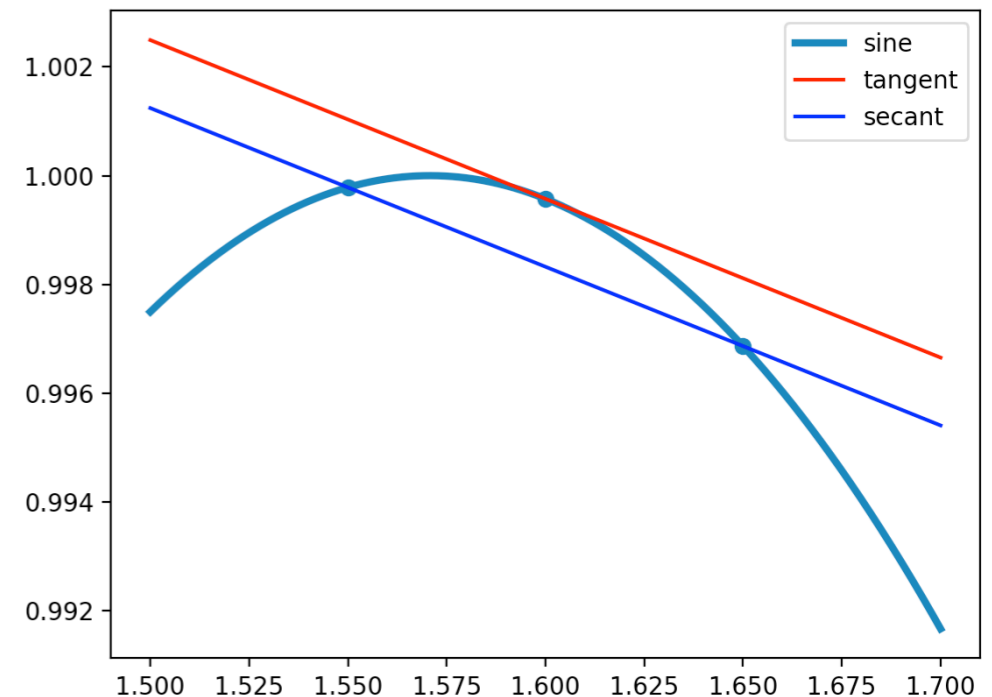
The points are  $(1.55, \sin(1.55))$  and  $(1.65, \sin(1.65))$

The slope of the two lines are almost identical.



# Numerical Differentiation

- To get more accuracy:
  - Move the two points defining the secant closer together
  - But when we do this, we have more inaccuracies because the slope of the secant is given as difference of the y-values over difference of the x-values



# Numerical Differentiation

- The formula for the secant at points  $(x_0 - \delta, f(x_0 - \delta))$  and  $(x_0 + \delta, f(x_0 + \delta))$  is

- $$\frac{f(x_0 + \delta) - f(x_0 - \delta)}{2\delta}$$

- We want  $\delta$  to be small, but not so small that it causes numerical errors

# Default Arguments

- Given the size of floating point numbers  $\delta = 10^{-6}$  is about right.
  - But sometimes we want to be able to change it, so we use a default argument.
- Our function is now
- ```
def derivative(func, x0, delta=1E-6):  
    return (func(x0+delta)-func(x0-delta))/(2*delta)
```

# Default Arguments

- Let's try it out on the sine function

```
import math

def derivative(func, x0, delta=1E-5):
    return (func(x0+delta)-func(x0-delta))/(2*delta)

for i in range(20):
    x = 1.4+i/10
    print(x, abs(derivative(math.sin, x) - math.cos(x)), sep='\t')
```

- Deviations are around  $10^{-12}$

# Default Arguments for print

- print has three default arguments that we can set:
  - end: what is printed at the end of the statement
    - default is a new line
  - sep: what is printed between the values
    - default value is a white space
  - file: where the file is printed.
    - default value is standard output, i.e. the shell
    - But can be used to write to a file

# Default Arguments

- `math.log` also has a default argument, the base
  - default value is `e`
  - `math.log(5, math.e)` **same as** `math.log(5)`
    - Natural logarithm of 5
  - `math.log(5, 2)`
    - Logarithm base 2:  $\log_2(5)$